The cosmological implications of massive, high redshift galaxy clusters

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The XMM Cluster Survey.

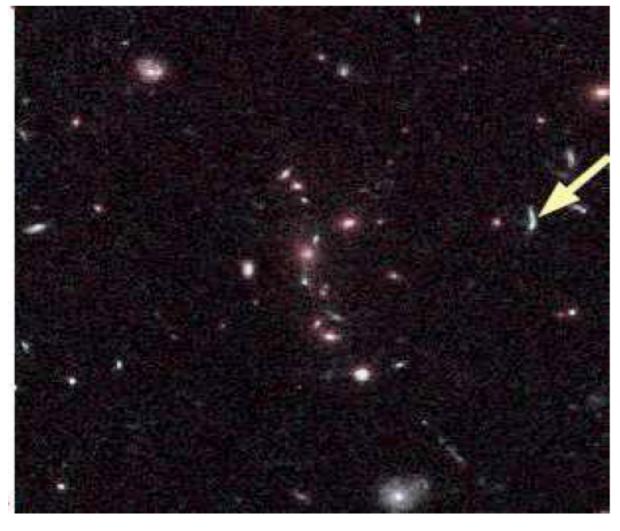
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Overview

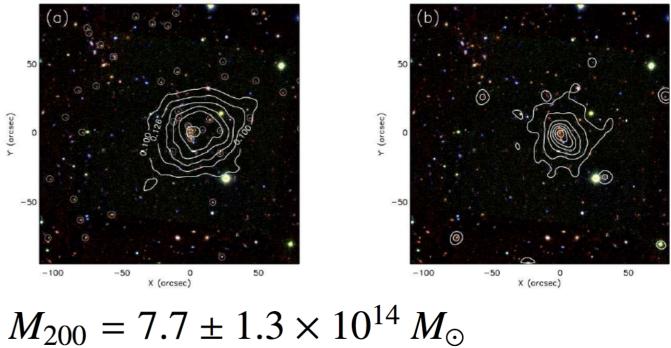
- Observational motivation
- The cluster sample
- The XMM Cluster Survey
- Analysis and Results
- Possible explanations: Systematics
- Conclusions

Motivation: observations of XMMJ2235

Some recent observations have called into question some of the underlying assumptions of the LCDM model + WMAP priors on the cosmological parameters. E.g., A very massive clusters of galaxies at high redshift, was statistically unlikely to have been observed.



Jee at al 2009



$$M_{200} = 7.7 \pm 1.3 \times 10^{14} M_{\odot}$$

 $M_{200} = 7.7^{+4.4}_{-3.3} \times 10^{14} M_{\odot}$
 $z = 1.4$

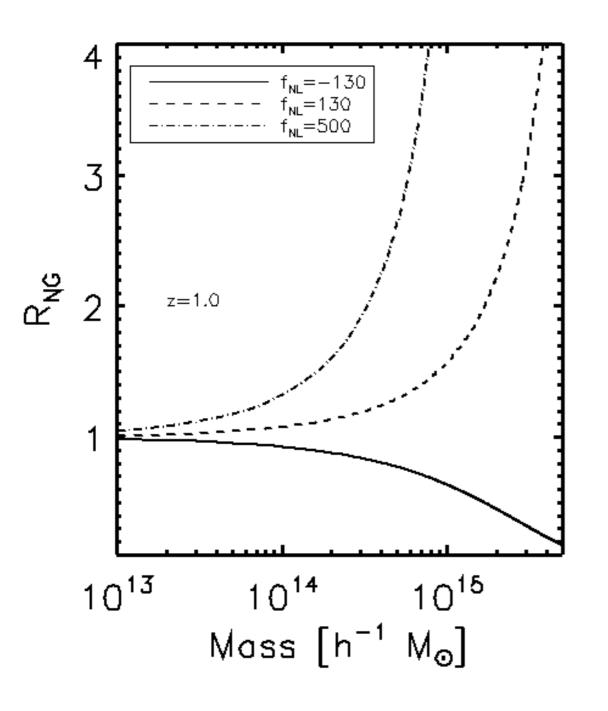
How likely was this cluster to be observed?

- The expected number in the full sky ~7.
- Footprint was II square degrees XMM X-ray survey, 0.02% of sky.
- Poisson sample from (0.0002*7) > I only 1.4%

Jimenez & Verde 2009 showed values of fnl~150 relieves tension with XMM J2235.

Motivation: theory, a window to the early Universe

Using today's data, (not some future experiment e.g. LISA-like) we can make a measurement of the amount of primordial non-Gaussianity (fnl) of the initial density perturbations, which can tell us about the various types of scalar field interactions during inflation/reheating/preheating.



Byrnes et al 2010 [arXiv:1007.4277]

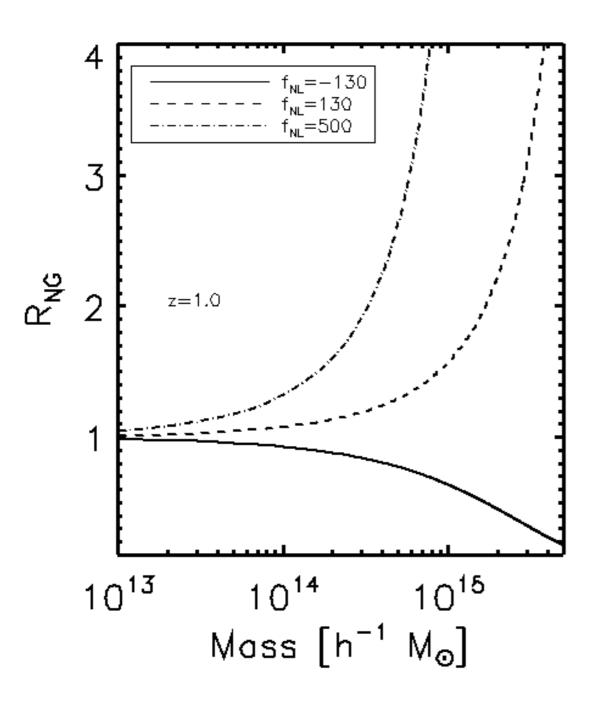
$$\Phi = \phi + f_{\rm NL} \left(\phi^2 - \langle \phi^2 \rangle \right)$$

$$\mathcal{R}_{NG}(S_{3,M}, M, z) = \frac{n(M, z, f_{\rm NL})}{n_G(M, z, f_{\rm NL} = 0)}$$

Ask me later for details.

Motivation: theory, a window to the early Universe

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Ask me later for details.

Ask someone else later for details.

Motivation: observations II - More SPT CL J0546-5345 massive clusters

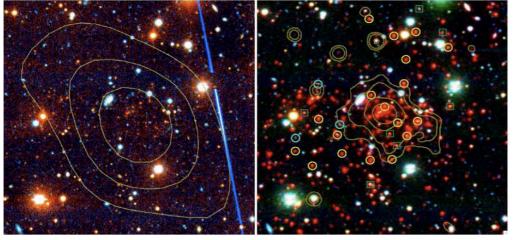


FIG. 1.— Left: Optical 4' × 4' color image (grz) of SPT-CL J0546-5345, with SZE significance contours overlaid (S/N = 2, 4, and 6). Right: False color optical (ri) + IRAC $(3.6 \,\mu\text{m})$ image of SPT-CL J0546-5345, with Chandra X-ray contours overlaid $(0.25, 0.4, 0.85 \text{ and} 1.6 \text{ counts per } 2'' \times 2''$ pixel per 55.6 ks in the 0.5-2 keV band). North is up, east is to the left. Due to its high angular resolution, Chandra is able to resolve substructure to the SW, which may be evidence of a possible merger. These images highlight the importance of IRAC imaging in studying the galaxies in high redshift, optically faint clusters. Spectroscopic early-type (late-type) members are indicated with yellow (cyan) circles. Green squares show the spectroscopic non-members.

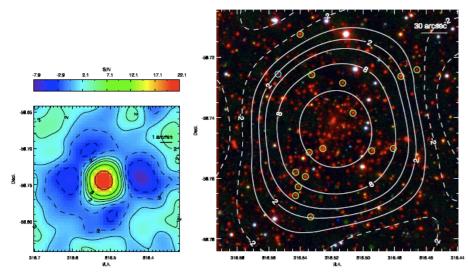
 $M_{200} \sim 10^{15} M_{\odot}$ z = 1.05

•Expect to see one 18% of time

Brodwin et al 2010

SPT-CL J2106-5844

Foley et al.



$$M_{200} = 1.27 \times 10^{15} \, h^{-1} \, M_{\odot}!$$
$$z = 1.13$$

•Expect to see one 5.9% of time

Foley et al 2011

More clusters.

Are these clusters consistent with LCDM? Hoyle, Jimenez, Verde arXiv:1009.3884 [accepted PRD], See also Enqvist, Hotchkiss, Taanila arXiv:1012.2732

	Cluster Name	Redshift	$M_{200} \ 10^{14} M_{\odot}$	Method
• Spectroscopic	'WARPSJ1415.1+3612' $^{\rm +}$	1.02	$3.33^{+2.83}_{-1.80}$	Velocity dispersion
	'SPT-CLJ2341-5119' *	1.03	$7.60^{+3.94}_{-3.94}$	Richness
	'XLSSJ022403.9-041328' +	1.05	$1.66^{+1.15}_{-0.38}$	X-ray
redshifts > l	$\rightarrow '\!\mathrm{SPT}\text{-}\mathrm{CLJ0546}\text{-}5345'$ *	1.06	$10.0^{+6.00}_{-4.00}$	Velocity dispersion
•3 SZ detected	'SPT-CLJ2342-5411' *	1.08	$4.08^{+2.53}_{-2.53}$	Richness
• II X-ray detecte	'RDCSJ0910+5422' +	1.10	$6.28^{+3.70}_{-3.70}$	X-ray
	'RXJ1053.7+5735 (West)' $^+$	1.14	$2.00^{+1.00}_{-0.70}$	X-ray
	'XLSSJ022303.0043622' +	1.22	$1.10^{+0.60}_{-0.40}$	X-ray
	'RDCSJ1252.9-2927' +	1.23	$2.00^{+0.50}_{-0.50}$	X-ray
	'RXJ0849+4452' +	1.26	$3.70^{+1.90}_{-1.90}$	X-ray
	'RXJ0848+4453' +	1.27	$1.80^{+1.20}_{-1.20}$	X-ray
	\rightarrow 'XMMUJ2235.3+2557' $^+$	1.39	$7.70^{+4.40}_{-3.10}$	X-ray
	'XMMXCSJ2215.9-1738' +	1.46	$4.10^{+3.40}_{-1.70}$	X-ray
	'SXDF-XCLJ0218-0510' $^+$	1.62	$0.57_{-0.14}^{+0.14}$	X-ray

The next generation of cluster samples will be found by X-ray (eRosita ~ 100,000) not SZ (ActPol ~1000). All X-ray clusters detected or redetected with XMM Cluster Survey

XCS:

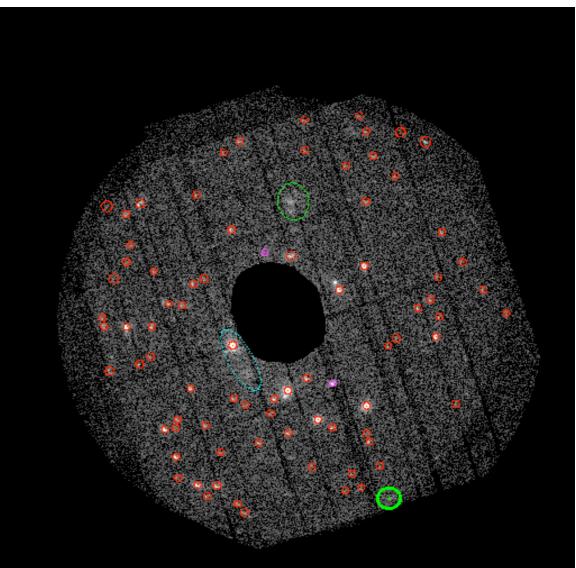
XMM Cluster Survey

Members: Kathy Romer [P.I], John P. Stott, Claire Burke, E. J. Lloyd-Davies, Mark Hosmer, Nicola Mehrtens, Michael Davidson, Kivanc Sabirli, Robert G. Mann, Matt Hilton, Andrew R. Liddle, Pedro T. P. Viana, Heather C. Campbell, Chris A. Collins, E. Naomi Dubois, Peter Freeman, Ben Hoyle, Scott T. Kay, Emma Kuwertz, Christopher J. Miller, Robert C. Nichol, Martin Sahlen, S. Adam Stanford.

• The XMM Cluster Survey aims to mine the XMM science archive for galaxy clusters

X-ray emission is the smoking gun, but it's not enough. Need optical identification and redshifts (X-ray redshift difficult) before the fluxes can be converted to temperatures and masses.

Algorithms paper, Lloyd-Davies et al. 2010 (arXiv:1010.0677)

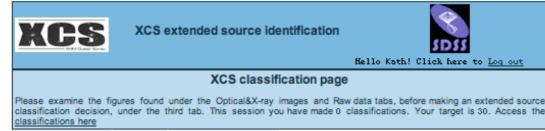


Optical Followup

Purity with Cluster Zoo All clusters multiply classified by experts to determine purity.

ICG, University of Portsmouth.

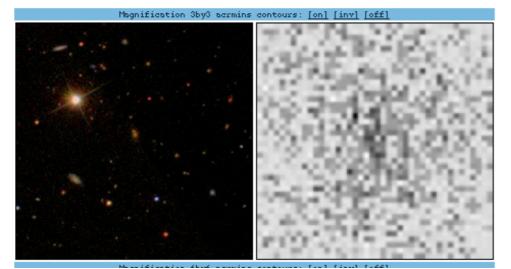
XCS:



Optical&X-ray images Mask data Make your classification

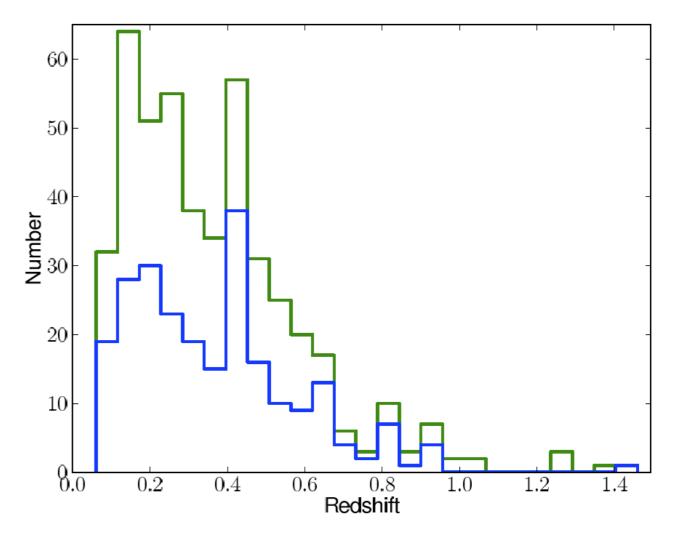
Optical and Xray images

Scolling down the page displays images of the extended sources to be classified at three magnifications in the optical and xray. Simply moving [no need to click] your mouse over the contours: [on] and [off] links show and hide the contours, while [inv] inverts the sdss image, and highlights photometric objects. Don't like this cluster Skip it here.









503 clusters, spanning 0.06<z<1.46 438 have x-ray temperatures

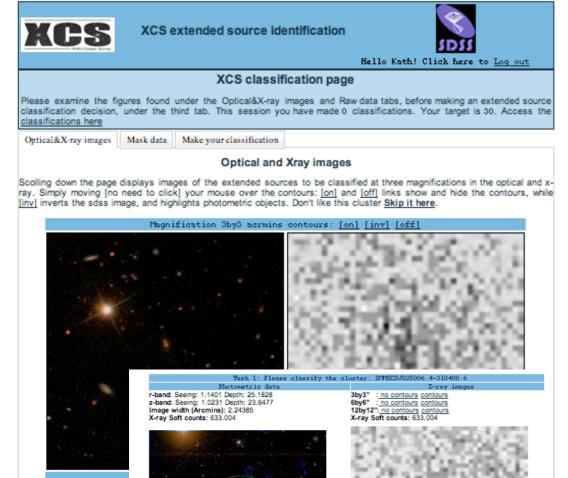
Data release, Mehrtens et al. in prep (very soon!)

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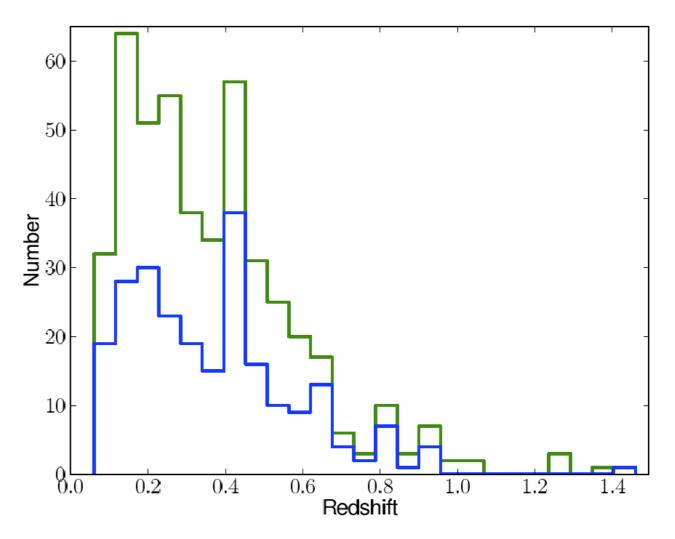
ICG, University of Portsmouth.

XCS:









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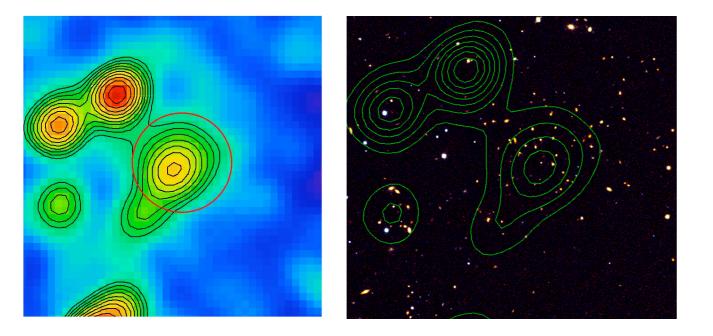
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XCS:

Other results.

XMMXCS J2215

Was the highest redshift X-ray selected cluster, z=1.46 (Stanford et al. 2006, Hilton et al. 2007, 2008)

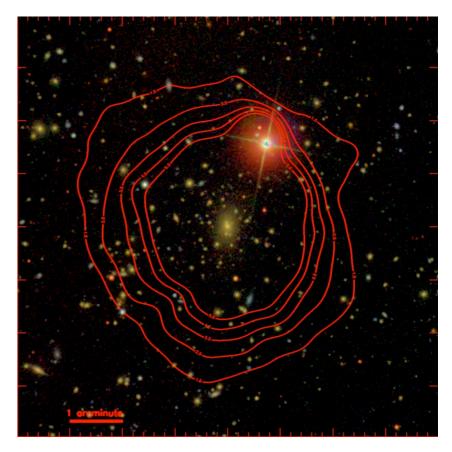


Now z=2.07, M~5-8.10^13 SolMass, Gobat et al arXiv:1011.1837

503 clusters, spanning 0.06<z<1.46 438 have x-ray temperatures

Data release, Mehrtens et al. in prep (very soon!)

Fossil groups



- I 5 Fossil Groups
- •z<0.25
- •0.9-6.6 keV
- Galaxy evolution

Harrison et al (in prep)

More Clusters. Data sample

	Cluster Name	Redshift	$M_{200} \ 10^{14} M_{\odot}$	Method
	'WARPSJ1415.1+3612' +	1.02	$3.33^{+2.83}_{-1.80}$	Velocity dispersion
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Conservative assumptions	'RXJ0849+4452' +	1.26	$3.70^{+1.90}_{-1.90}$	X-ray
Footprints; If there was	'RXJ0848+4453' +	1.27	$1.80^{+1.20}_{-1.20}$	X-ray
overlap between the surveys	\rightarrow 'XMMUJ2235.3+2557' $^+$	1.39	$7.70^{+4.40}_{-3.10}$	X-ray
we conservatively assumed	'XMMXCSJ2215.9-1738' +	1.46	$4.10^{+3.40}_{-1.70}$	X-ray
each X-ray survey had it's	'SXDF-XCLJ0218-0510' $^+$	1.62	$0.57_{-0.14}^{+0.14}$	X-ray
own unique footprint				

•Survey volumes: We assumed all surveys had the redshift depth of the deepest survey $z\sim2.2$

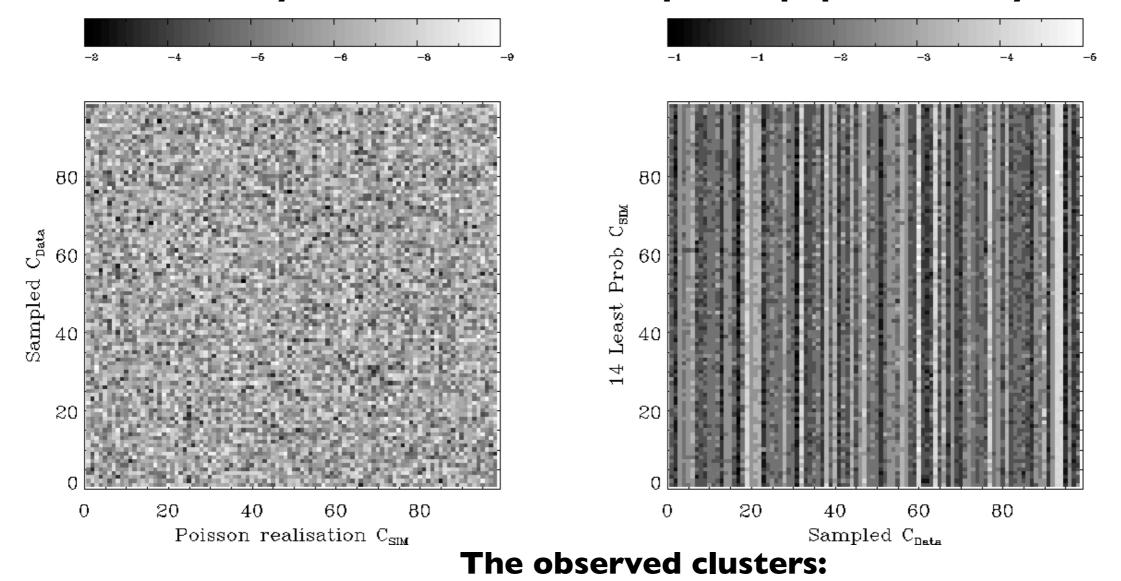
•Selection functions: For each cluster, we assumed that any similar (>M) cluster at any higher redshift would have been detected.

• Mass estimates: We chose to use the cluster mass and error which gave the least tension with LCDM

Analysis & Results I

Comparing theory with observations: 2d K-S test.

Poisson sampling of the theoretical cluster mass function (assuming best-fit WMAP5 cosmological parameters), to build 100 sets of 'simulated' clusters in (M,z) plane. Compare distributions of the simulated clusters with data after marginalizing (sampling) from the mass and mass error 100 times, using the 2d K-S test. Are they drawn from the same parent population? If yes, $P \sim 0.1 - 1.0$



• Do not appear to be drawn from a Poisson sampling of the mss fn: $P \sim 10^{-6.2}$

- Reference, comparing simulated clusters with simulated clusters: $P \sim 10^{-0.8}$
- Not consistent with being the 14 least probable objects: $P \sim 10^{-2.5}$
- Not located in a particular region of (M,z) plane (systematics): $P \sim 10^{-1.7}$

Analysis & Results II

For each cluster "i", we sample S, from the mass and error 10,000 times. We calculate the expected abundance of clusters above each sampled mass and redshift using the theoretical cluster mass function.

$$A_s = \int_{M_s}^{\infty} \int_{z=z_{cluster}}^{z=2.2} n(m, z, f_{\rm NL}, C) dm dz$$

We Poisson sample P^O , from the expected abundance (As) for this realisation.

If the Poisson sample is >1, the cluster exists in this realisation. If the Poisson sample is <1 the cluster does not exist in this realisation.

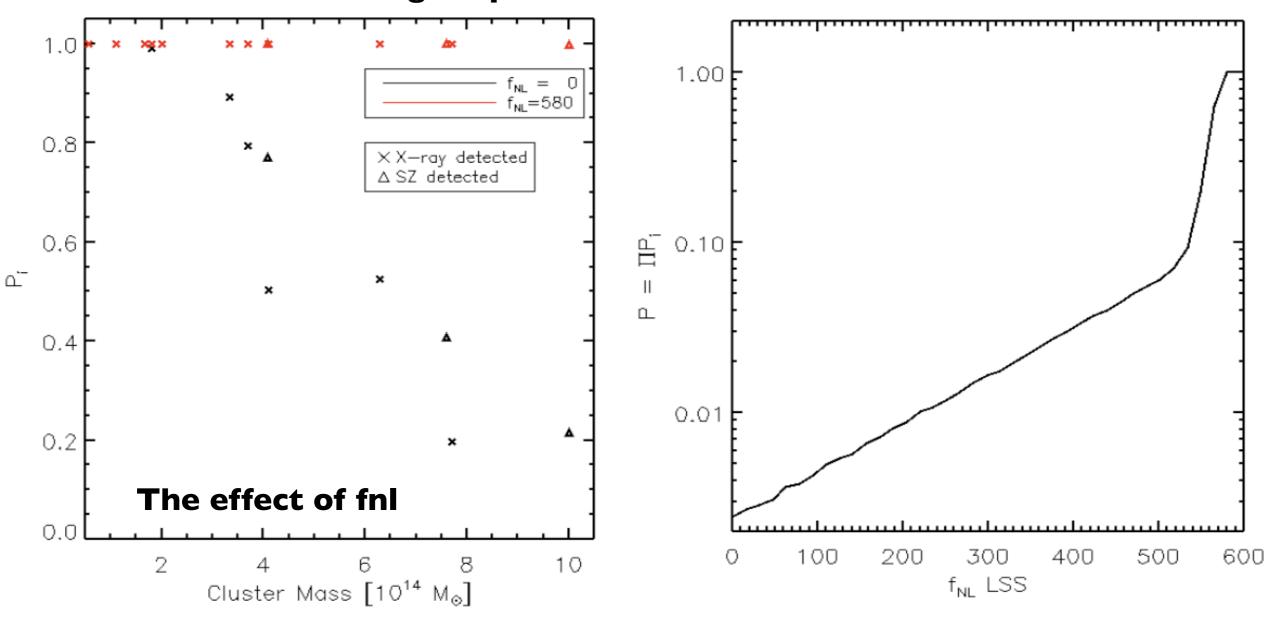
The probability P_i , that cluster "i" exists is $\text{Number}(P^O(A_s) \ge 1)/10^4)$

The probability, that the ensemble of cluster exists is $P(f_{\rm NL},C) = \prod P_i$

We multiply the probabilities, because the clusters are typically separated by vast redshifts, and positions on the sky. We therefore model them as being independent events.

Analysis & Results II

Fixed cosmological parameters to best fit WMAP 5



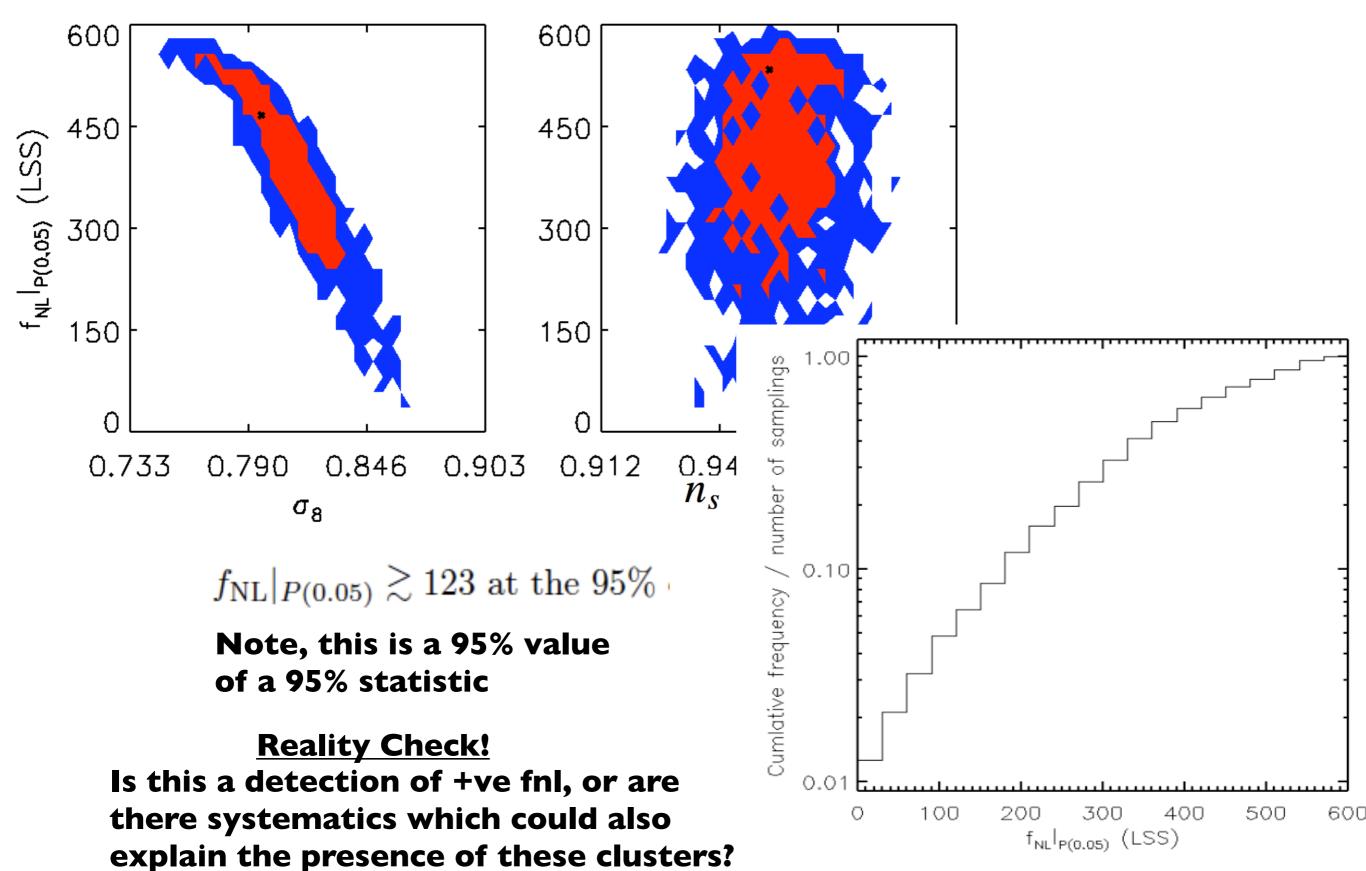
We determine the value of fnl where P=0.05 i.e., the value of fnl that contains 95% of the probability $f_{\rm NL}|_{P(0.05)}$

At the 95% confidence level, $f_{\rm NL} > 467$

Enquist et al 2010 arXiv:1012.2732 $f_{
m NL}\gtrsim410$

Analysis & Results 11

Marginalising over parameters; $\Omega_M, \Omega_b, \Omega_\Lambda, \Omega_K, n_s, \sigma_8, H_0, w_0$



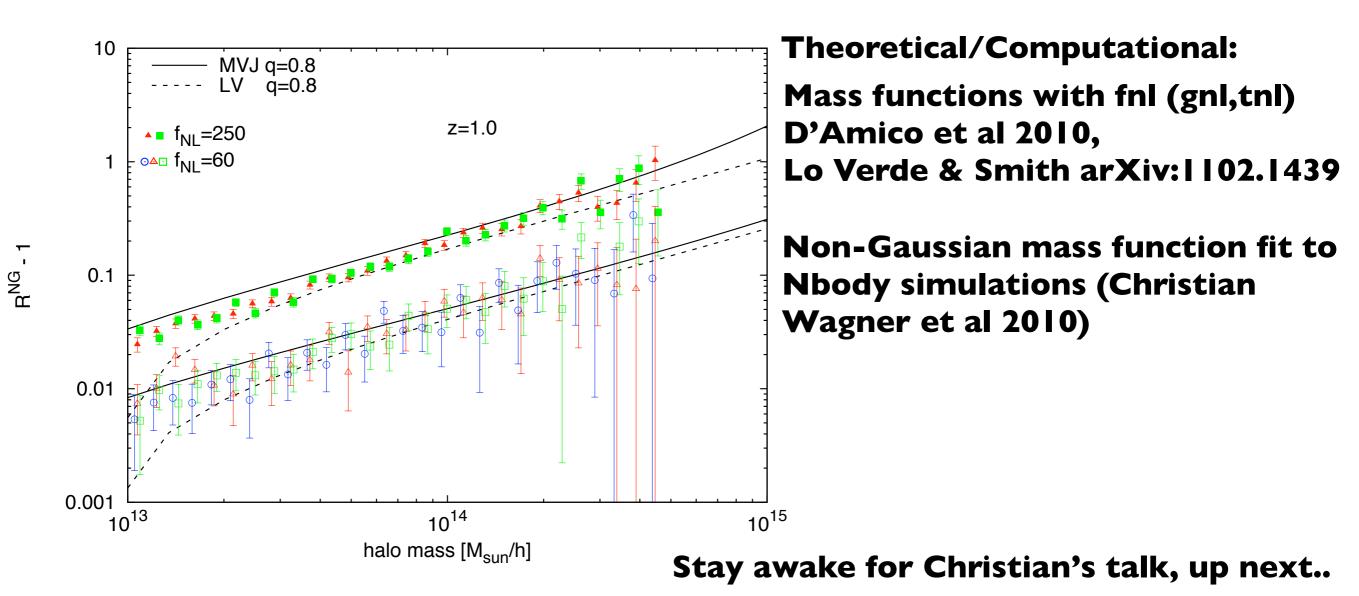
Possible explanations: Systematics I

Cosmological parameters.

- If $\sigma_8 = 0.9$ tension is removed.
- But CMB + LSS find (Komatsu et al 2011)

 $\sigma_8 = 0.801 \pm 0.03$

<u>Mass functions.</u> Do we understand the mass function (with fnl) at high mass and redshift well enough?

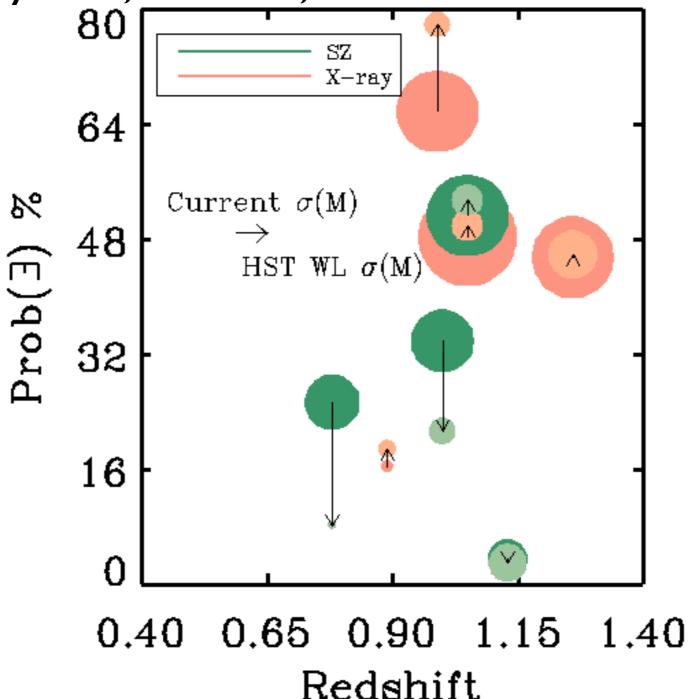


Possible explanations: Systematics II

If every mass measurement was 1.5 sigma higher than the "true" value, then all tension is relieved. But all independent mass estimates must be systematically, equally wrong.

We are trying to obtain better mass estimates for a sample of high redshift clusters, with an HST proposal;

B.H. (P.I.), Aday Robiana, Licia Verde, Raul Jimenez, David Bacon, Martin Sahlen, Ed Lloyd-Davies, Kathy Romer, Matt Hilton, Nicola Mehrtens.



Conclusions

These clusters pose a question to LCDM with WMAP priors on cosmological parameters.

 $\sigma_8 = 0.9$ or $M_{TRUE} = M_{OBS} - 1.5 \times \Delta M$ or $f_{\rm NL}|_{P(0.05)} \gtrsim 123$ at the 95%

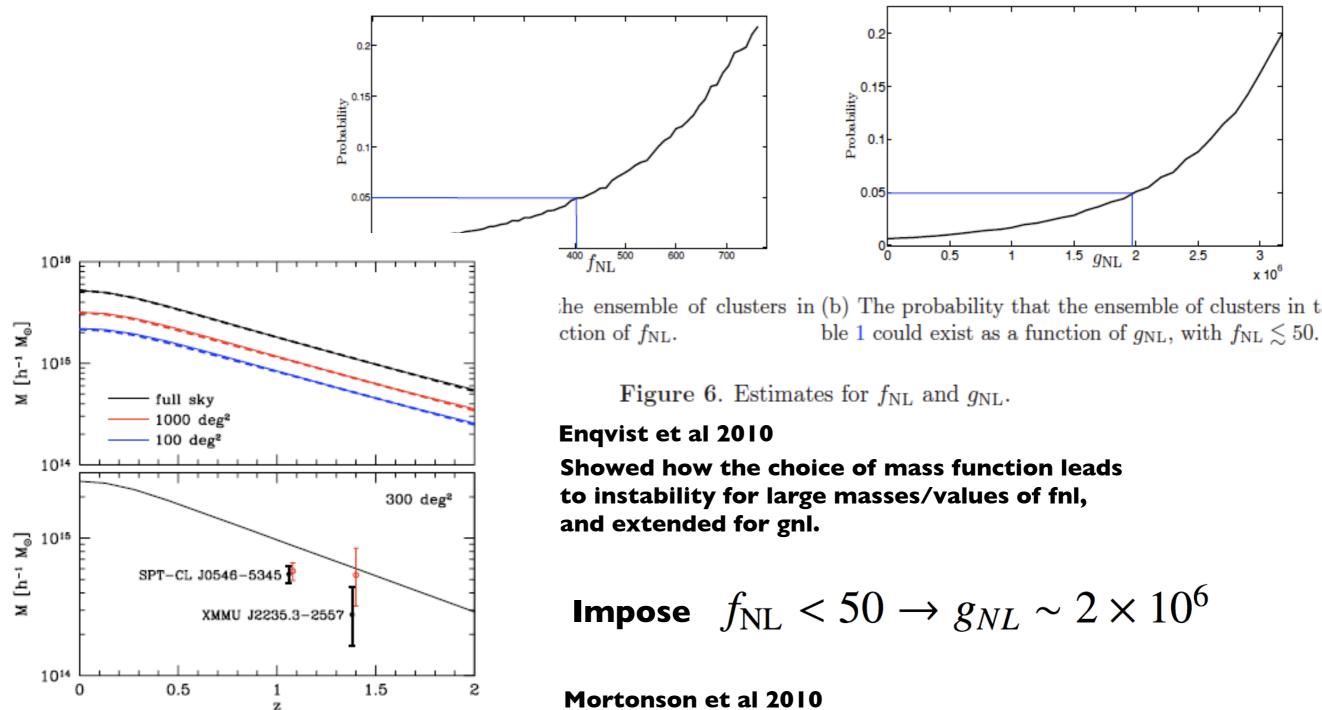
or mass function uncertainty.

- Built a list of high redshift clusters.
- •Conservative footprint/survey/completeness/mass assumptions.
- Attempted to quantify the tension with LCDM.
- Showed how fnl or systematics can reduce tension, and work to reduce systematics (HST WL).
- •No consensus as to the level of tension, or how to quantify it.
- Theoretical/Computation work ongoing.

•But, more high redshift, massive clusters are being found ~weekly. SPT release/Planck /XCS, so we need a framework to understand what they tell us about LCDM

• Watch out for the 500 XCS clusters with temperatures!

Extensions/Related work



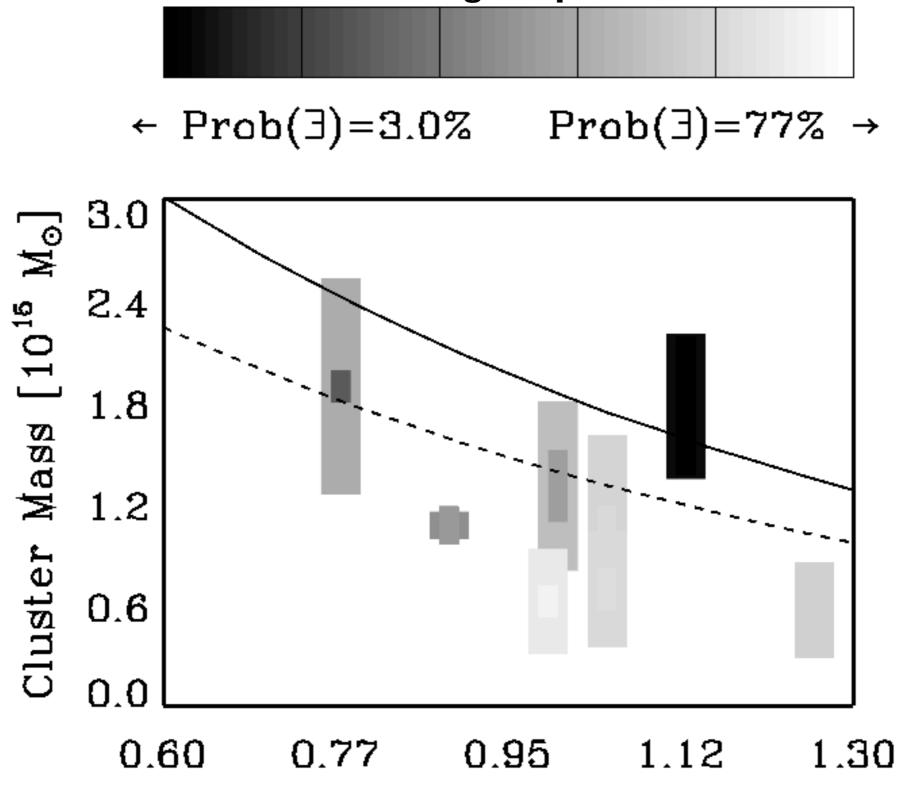
Provided a fitting function to describe how one cluster could rule out (w)LCDM, but underestimate constraining power of >I clusters.

Or, non constant equation of state of dark energy, Baldi & Pettorino 2010

FIG. 4. M(z) exclusion curves. Even a single cluster with (M, z) lying above the relevant curve would rule out both Λ CDM and quintessence. Upper panel: flat Λ CDM 95% joint CL for both sample variance and parameter variance for various choices of sky fraction $f_{\rm sky}$ from the MCMC analysis (thin solid curves) and using the fitting formula from Appendix A (thick dashed curves; accurate to $\leq 5\%$ in mass). Lower panel: Two of the most anomalous

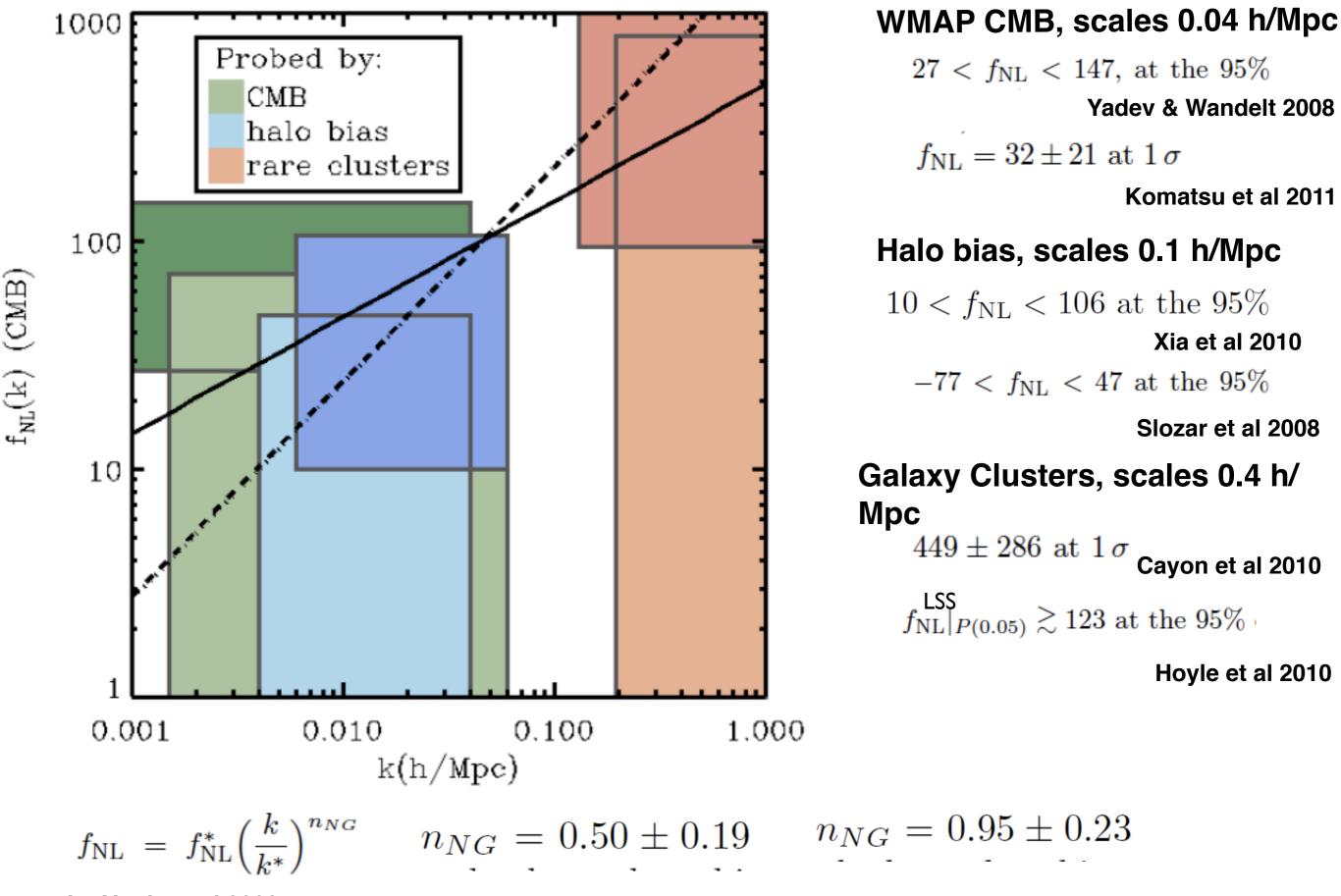
HST proposal

Mortonson et al type exclusion curves, and the change in Probability of existence with HST WL mass estimates assuming the peak mass value is unchanged.



Redshift

Sexy Conclusions: Scale Dependent non-Gaussianity

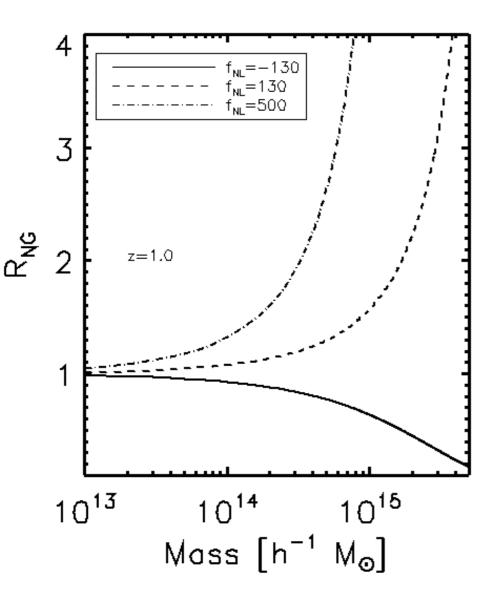


Lo Verde et al 2008

Modifying the mass function with non-Gaussianity

We can change the number of expected clusters by allowing some fnl which modifies the cluster mass function.

$$n_G(M,z) = \sqrt{\frac{2}{\pi}} \frac{\bar{\rho}}{M^2} \left| \frac{\mathrm{d}}{\mathrm{d}\ln M} \ln \sigma_M \right| \nu \exp(-\nu^2/2) \qquad \mathcal{R}_{NG}(S_{3,M},M,z) = \frac{n(M,z,f_{\mathrm{NL}})}{n_G(M,z,f_{\mathrm{NL}}=0)}$$



Solved in the Press-Schecter type formalism by Matarrese, Verde, Jimenez 2002, LoVerde et al 2007, Maggiore et al 2009, D'Amico et al 2010 etc.

 $\mathcal{R}_{NG}(M, z, f_{NL}) = \exp\left[\delta_{ec}^3 \frac{S_{3,M}}{6\sigma_M^2}\right] \times$

$$\frac{1}{6} \frac{\delta_{ec}}{\sqrt{1 - \frac{\delta_{ec}S_{3,M}}{3}}} \frac{dS_{3,M}}{d\ln\sigma_M} + \sqrt{1 - \frac{\delta_{ec}S_{3,M}}{3}}$$

The normalised $$S_{3,M}$$ skewness of the $$S_{3,M}$$ smoothed density field

$$S_{3,M} = f_{NL} S_{3,M}^{f_{NL}=1}$$

Rng enable other, better calibrated mass functions to be used (e.g., Jenkins et al 2000, Tinker et al 2008, Wagner et al 2010).

Motivation: theory, a window to the early Universe

Using today's data, (not some future experiement e.g. LISA-like) we can make a measurement of the primodial non-Gaussianity (fnl) which can tell us about the various types of scalar field interactions during inflation/reheating/ preheating.

 $\Phi = \phi + f_{\rm NL} \left(\phi^2 - \langle \phi^2 \rangle \right) \; .$

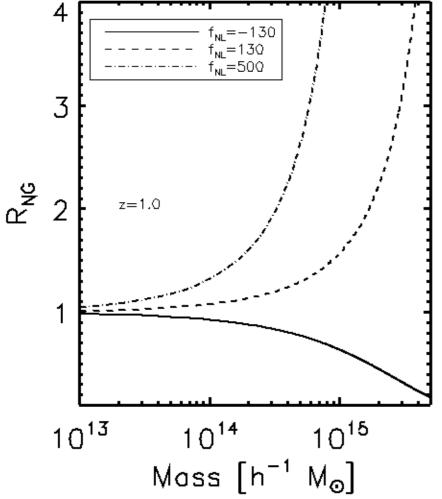
Hand wavy theory for observers

Within the (perturbed) lagrangian for the scalar fields in the early universe:

 $\Pi^3, \ (\partial \Pi)^3, \ \Pi(\partial \Pi)^2, \ \Pi_1 \Pi_2 \Pi_1 \rightarrow f_{NL}(k)(n_{NG}) \sim ?$

A single, multiply coupled field or two (or more) couple fields generate the bispectrum and can produce large non-Gaussianities (skewness) with scale dependence. e.g., Byrnes et al 2010 [arXiv:1007.4277]

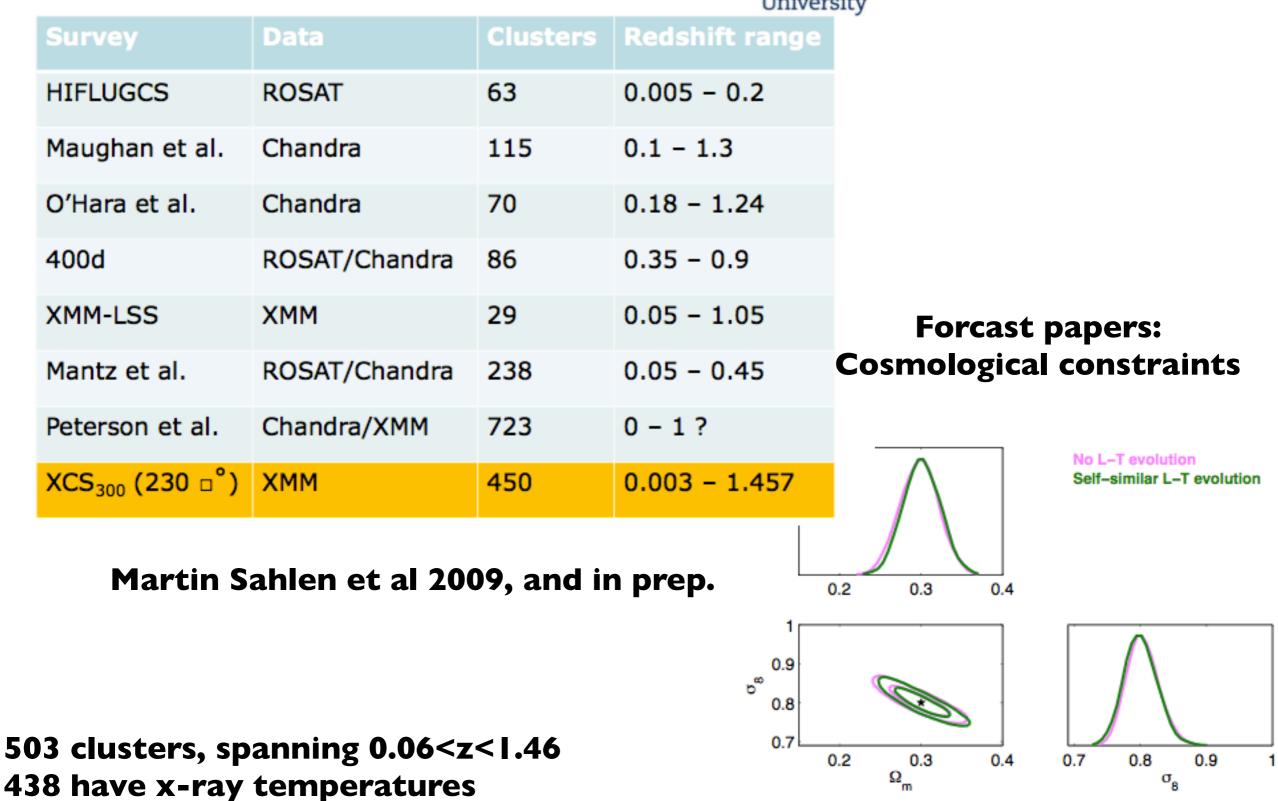
$$n_G(M, z) = \sqrt{\frac{2}{\pi}} \frac{\bar{\rho}}{M^2} \left| \frac{\mathrm{d}}{\mathrm{d} \ln M} \ln \sigma_M \right| \nu \exp{-\nu^2/2}$$
$$\mathcal{R}_{NG}(S_{3,M}, M, z) = \frac{n(M, z, f_{\mathrm{NL}})}{n_G(M, z, f_{\mathrm{NL}} = 0)}$$





Current X-Ray Cluster Surveys





Data release, Mehrtens et al. in prep (very soon!)